

QP Code: D136562		Total Pages: 2		Name:			
				Register No.			
<b>FIRST SEMESTER B.VOC (CUFYVP) REGULAR EXAMINATION NOVEMBER 2025</b>							
<b>DATA SCIENCE AND ANALYTICS</b>							
<b>DSA1CJ103 - Mathematics and Statistics for Data Science</b>							
<b>2025 Admission</b>							
Maximum Time :2 Hours				Maximum Marks :60			
<b>Section A</b>							
<b>All Questions can be answered. Each Question carries 3 marks (Ceiling : 20 Marks)</b>							
1	Define scalar and vector.						
2	Find the median of 31,16,15,21,9,30,17,28,23						
3	What is central tendency?						
4	Define correlation.						
5	Define an ogive curve.						
6	Find the eigen values of the matrix $A = \begin{bmatrix} 2 & 1 \\ 1 & 2 \end{bmatrix}$						
7	If the first quartile is 15 and the third quartile is 25. What is the coefficient of quartile deviation?						
8	Define cross product.						
9	What is rank of a matrix?						
10	What is skewness?						
11	Define bar chart.						
12	Find $a, b$ , where $a \rightarrow = 3i - 4j + 6k$ and $b \rightarrow = 5i + j + 2k$						
<b>Section B</b>							
<b>All Questions can be answered. Each Question carries 6 marks (Ceiling : 30 Marks)</b>							
13	Define mean, median and mode and explain their uses.						
14	The mean of 20 observations is 15. On checking it was found that two observations were wrongly copied as 3 and 6. If the wrong observations are replaced by correct values 8 and 4. Find the correct mean.						
15	Explain the uses of standard deviation.						
16	Construct a histogram						
	Class	0-10	10-20	20-30	30-40	40-50	50-60
	Frequency	4	10	21	9	4	2
17	What is a scatter diagram? Write the conclusions that can be drawn from It.						
18	If $A = \begin{bmatrix} 1 & 2 & 2 \\ 2 & 1 & 2 \\ 2 & 2 & 1 \end{bmatrix}$ , Show that $A^2 - 4A - 5I = 0$						

**Section C****Answer any ONE .Each Question carries 10 marks (1x10=10 Marks)**

19	Find the coefficient of correlation from the following data:							
	X	1	2	3	4	5	6	7
	Y	6	8	11	9	12	10	14
20	Find the eigen values and the corresponding eigen vectors of the matrix							
	$A = \begin{bmatrix} 5 & 1 & -1 \\ 1 & 3 & -1 \\ -1 & -1 & 3 \end{bmatrix}$							